



# RF Basics

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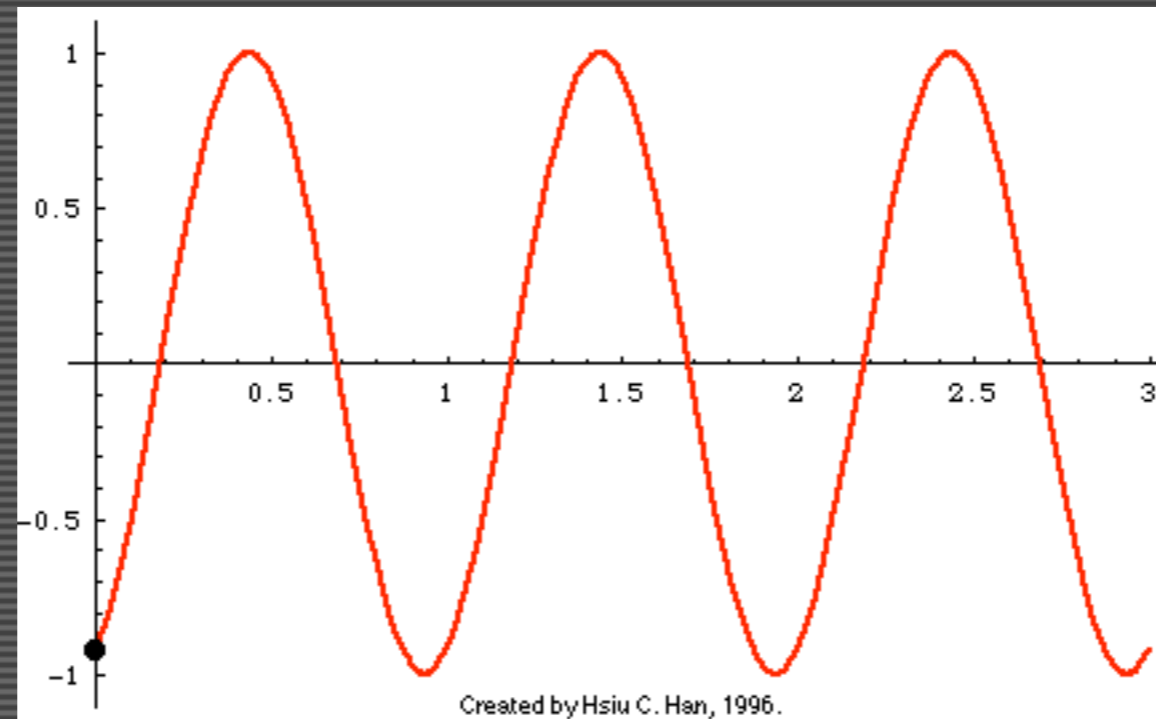
# RF Basics

- RF stands for Radio Frequency, but it often used in the sense of “ anything related with EM signals”.
- The sine wave is the basic example of a signal that can be generated, transmitted and received with RF equipment.
- It may be characterized by:
  - Frequency
  - Amplitude

# RF Basics

- Frequency: the number of times a signal goes through a complete “up and down” cycle in one second of time. It is measured in **Hertz**.
- Amplitude: the difference between the maximum and the minimum value during one cycle. It is measured in **Volts**, and it is related with the strength, or power, of the signal.

# RF Basics



- Frequency: the number of times a signal goes through a complete “up and down” cycle in one second of time. **1 Hz**
- Amplitude: the difference between the maximum and the minimum value during one cycle. **2 V**

# RF Basics

- We use the Scientific Notation that uses the power of ten to multiply the values.

milli (m)	$10^{-3}$	1 mV
micro( $\mu$ )	$10^{-6}$	1 $\mu$ V
kilo(k)	$10^3$	1 kHz
mega(M)	$10^6$	1 MHz
giga(G)	$10^9$	1 GHz

# RF Basics

- Frequency Band: the standard name of a specific range of frequencies.
- HF: High Frequency, 3 MHz to 30 MHz
- VHF: Very High Frequency, 30 MHz to 300 MHz
- UHF: Ultra High Frequency, 300 MHz to 3 GHz
- SHF: Super High Frequency, 3 GHz to 30 GHz
- EHF: Extra High Frequency, 30 GHz to 300 GHz

# RF Basics

- Bandwidth: width of the range of frequencies that a signal occupies on a given transmission medium. It is the difference between the highest-frequency signal component and the lowest-frequency signal component.
- Voice transmission: 3 kHz
- FM radio broadcast: 200 kHz
- Analog TV broadcast: 6 MHz

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- Wavelength: the distance a radio wave will travel during one cycle.



$$\lambda = c / f$$



- $\lambda$  is the wavelength, in meters

- $c$  is the speed of light, 299793 m/s

- $f$  is the frequency, in Hz



# RF Basics

Frequency	Wavelength
900 MHz	0.33 m
<i>2.4 GHz</i>	<i>0.125 m</i>
5.0 GHz	0.06 m

# RF Basics

- Power: in the RF world, the power is commonly used to quantify a signal, instead of the amplitude.

- Power is expressed in *Watts*.

- For low-frequency signals, the power is given by

- $$P=EI$$

- For high-frequency signals with no reactance, by the root-mean-square values.

- For high-frequency signals with reactance, RF power is a vector, 2-D, quantity.

# RF Basics

- Decibel: the decibel (abbreviated as *dB*) is a logarithmic expression of the ratio between the power, voltage, or current of two signals.
- Signal one, with a power of  $P_1$  Watts
- Signal two, with a power of  $P_2$  Watts

$$P_{dB} = 10 \log_{10} (P_2 / P_1)$$

# RF Basics

- If the load impedance is constant, decibels can be calculated in terms of effective voltage.
- Signal one, with an RMS voltage of  $V_1$  across a load
- Signal two, with an RMS voltage of  $V_2$  across a load

$$V_{\text{dB}} = 20 \log_{10} (V_2 / V_1)$$

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- When the decibel figure is *positive*, the second signal is stronger than the first one, and the power ratio is called *gain*.
- When the decibel figure is *negative*, the second signal is weaker than the first one, and the power ratio is called *loss*.
- In amplifiers the gain, also called the amplification factor, is often expressed in decibels.

# RF Basics

+ 3 dB	two times bigger
+10 dB	ten times bigger
-3 dB	one half
-10 dB	one tenth

# RF Basics

- To express power using decibels we need a specific power to be assumed as a reference.
- In the RF world the common standard is to refer powers to 1 mW (0.001 Watts).
- Such power ratio, expressed in decibels, is called *dBm*.

$$P_{\text{dBm}} = 10 \log_{10} (P_{\text{watts}} / 1\text{mW})$$

# RF Basics

- The advantage of using decibels instead of Watts to express the power of a signal along an RF chain is that instead of dividing or multiplying powers to take care of amplifications and attenuations, we just *add or subtract the gains and the losses expressed in decibels.*





# RF Basics

- Using amplification and attenuation factors and expressing the powers in Watts, we obtain the value of the power at the receiver's input in this way:

$$P_{\text{rec}} = P_{\text{transm}} \times (1/\text{Att}_{\text{cable1}}) \times \text{Amp} \times (1/\text{Att}_{\text{cable2}})$$

- If we use dB to express the gains and the losses and dBm to express the powers, the calculation becomes a simple addition:

$$P_{\text{rec}} = P_{\text{transm}} + \text{Loss}_{\text{cable1}} + \text{Gain}_{\text{amp}} + \text{Loss}_{\text{cable2}}$$

- This procedure is called ***Power Budget Calculation***

# RF Basics

- ✓ Signals are characterized by frequency.
- ✓ We are interested in signals at 2.4 GHz.
- ✓ At 2.4 GHz, the wavelength is 12.5 cm.
- ✓ We will use dB, so we can use Power Budget Calculation.